Development economics

Lecture 2, 3: Traditional growth models and poverty traps, and the way towards MDGs

Vojtěch Bartoš

LMU, April 27, 2016
Economic growth

Harrod-Domar model

Solow model

Convergence

Poverty traps
Economic growth

- Rapid economic development started some 150 years ago.
  - 1820-90: Netherlands a major driver of economic growth: annual growth of 0.2%
- Current rates of about 2% enormous growth rates if one takes into account the exponential growth. Time to double GDP:
  - \[ x(1 + r)^t = 2x \]
  - \[ t = \frac{\log(2)}{\log(1+r)} \]
  - Example: 2% growth → **doubling time**: 35 years
### Economic growth (1870 - 1978)

<table>
<thead>
<tr>
<th>Country</th>
<th>1870</th>
<th>1913</th>
<th>1978</th>
</tr>
</thead>
<tbody>
<tr>
<td>Australia</td>
<td>1,340</td>
<td>1,941</td>
<td>4,456</td>
</tr>
<tr>
<td>Austria</td>
<td>491</td>
<td>1,059</td>
<td>3,934</td>
</tr>
<tr>
<td>Belgium</td>
<td>939</td>
<td>1,469</td>
<td>4,795</td>
</tr>
<tr>
<td>Canada</td>
<td>619</td>
<td>1,466</td>
<td>5,210</td>
</tr>
<tr>
<td>Denmark</td>
<td>572</td>
<td>1,117</td>
<td>4,173</td>
</tr>
<tr>
<td>Finland</td>
<td>402</td>
<td>749</td>
<td>3,841</td>
</tr>
<tr>
<td>France</td>
<td>627</td>
<td>1,178</td>
<td>4,842</td>
</tr>
<tr>
<td>Germany</td>
<td>535</td>
<td>1,073</td>
<td>4,676</td>
</tr>
<tr>
<td>Italy</td>
<td>556</td>
<td>783</td>
<td>3,108</td>
</tr>
<tr>
<td>Japan</td>
<td>248</td>
<td>470</td>
<td>4,074</td>
</tr>
<tr>
<td>Netherlands</td>
<td>830</td>
<td>1,197</td>
<td>4,388</td>
</tr>
<tr>
<td>Norway</td>
<td>489</td>
<td>854</td>
<td>4,890</td>
</tr>
<tr>
<td>Sweden</td>
<td>416</td>
<td>998</td>
<td>4,628</td>
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<tr>
<td>Switzerland</td>
<td>786</td>
<td>1,312</td>
<td>4,487</td>
</tr>
<tr>
<td>United Kingdom</td>
<td>972</td>
<td>1,492</td>
<td>3,796</td>
</tr>
<tr>
<td>United States</td>
<td>774</td>
<td>1,815</td>
<td>5,799</td>
</tr>
<tr>
<td>Simple average</td>
<td>662</td>
<td>1,186</td>
<td>4,444</td>
</tr>
</tbody>
</table>

Source: Maddison [1979].
Economic growth

"I do not see how one can look at figures like these without seeing them as representing possibilities. Is there some action a government of India could take that would lead the Indian economy to grow like Indonesia’s or Egypt’s? If so, what exactly? If not, what is it about the ‘nature of India’ that makes it so?" — Robert Lucas

- But growth is very unequal and poor countries have to do a lot to catch up →
Economic growth (unequal starting points)

<table>
<thead>
<tr>
<th></th>
<th></th>
<th></th>
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</tr>
</thead>
<tbody>
<tr>
<td>Rwanda</td>
<td>1.3</td>
<td>3.8</td>
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<tr>
<td>Ethiopia</td>
<td>1.7</td>
<td>2.0</td>
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<td>India</td>
<td>4.9</td>
<td>4.4</td>
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<td>Kenya</td>
<td>5.7</td>
<td>5.1</td>
<td>↑</td>
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<tr>
<td>China</td>
<td>9.7</td>
<td>5.8</td>
<td>↑</td>
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<tr>
<td>Sri Lanka</td>
<td>12.2</td>
<td>10.7</td>
<td>↑</td>
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<tr>
<td>Indonesia</td>
<td>13.9</td>
<td>10.0</td>
<td>↑</td>
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<tr>
<td>Egypt</td>
<td>14.4</td>
<td>14.4</td>
<td>↑</td>
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<td>Russian Federation</td>
<td>17.8</td>
<td>30.6</td>
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<td>Turkey</td>
<td>18.2</td>
<td>20.9</td>
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<tr>
<td>South Africa</td>
<td>19.8</td>
<td>23.9</td>
<td>↓</td>
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<td>Colombia</td>
<td>20.6</td>
<td>19.0</td>
<td>↑</td>
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<tr>
<td>Brazil</td>
<td>20.9</td>
<td>24.2</td>
<td>↓</td>
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<td>Poland</td>
<td>21.2</td>
<td>21.4</td>
<td>↓</td>
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<td>Thailand</td>
<td>26.9</td>
<td>16.4</td>
<td>↓</td>
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<td>Mexico</td>
<td>27.2</td>
<td>27.8</td>
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<td>Argentina</td>
<td>33.7</td>
<td>32.1</td>
<td>↑</td>
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<tr>
<td>Korea, Rep</td>
<td>39.9</td>
<td>27.3</td>
<td>↑</td>
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<tr>
<td>Greece</td>
<td>42.2</td>
<td>42.1</td>
<td>↑</td>
</tr>
<tr>
<td>Spain</td>
<td>53.1</td>
<td>50.2</td>
<td>↑</td>
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<tr>
<td>United Kingdom</td>
<td>69.4</td>
<td>70.2</td>
<td>↓</td>
</tr>
<tr>
<td>Canada</td>
<td>77.1</td>
<td>83.2</td>
<td>↓</td>
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<tr>
<td>France</td>
<td>76.0</td>
<td>75.9</td>
<td>↑</td>
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<tr>
<td>Japan</td>
<td>81.7</td>
<td>74.7</td>
<td>↑</td>
</tr>
<tr>
<td>Switzerland</td>
<td>97.2</td>
<td>104.5</td>
<td>↓</td>
</tr>
</tbody>
</table>


► More recent data in Stata...
Economic growth

Harrod-Domar model

Solow model

Convergence

Poverty traps
Harrod-Domar model

- **But**: What causes growth and how to generate it?
- **Note**: Economic growth is the abstention from current consumption (i.e. translates into investment in the (richer) future).

- **Commodities**:
  - Consumption goods
  - Capital goods
  - (often these cannot be categorised in a single category)

- Households save (do not spend everything on consumption), savings are invested by firms (to increase capital stocks)
Harrod-Domar model

- **Macroeconomic balance:** savings = investments: 
  \[ S(t) = I(t) \]
  - Q: Examples?
  - Q: Does this necessarily hold at every period \( t \)?

- **Accounting equation:** \( Y(t) = C(t) + S(t) \), \( Y(t) \)... total GNP (not GDP per capita)

- So \( Y(t) = C(t) + I(t) \), as \( S(t) = I(t) \)

- Investment increases the stock of next period capital goods \( K(t+1) \). In this period the share of \( \delta \) depreciates:

\[
K(t + 1) = (1 - \delta)K(t) + I(t)
\]
Harrod-Domar model

\[ K(t+1) = (1 - \delta)K(t) + l(t) \]

- To examine growth, we define the following:
  - Savings ratio:
    \[ s = \frac{S(t)}{Y(t)} \]
  - Capital-output ratio – how much capital is needed to produce one unit of output:
    \[ \theta = \frac{K(t)}{Y(t)} \]
  - From macroeconomic balance we get:
    \[ K(t+1) = (1 - \delta)K(t) + S(t) \]
Harrod-Domar model

\[ K(t + 1) = (1 - \delta)K(t) + S(t) \]

- We know that \( S(t) = sY(t) \) and \( K(t) = \theta Y(t) \)
- Plug this into the capital stock equation:

\[ \theta Y(t + 1) = (1 - \delta)\theta Y(t) + sY(t) \]

- Then divide by \( \theta \) and by \( Y(t) \) to get:

\[ \frac{Y(t + 1)}{Y(t)} = \frac{Y(t)}{Y(t)} \left(1 - \delta + \frac{s}{\theta}\right) \]
Harrod-Domar model

\[ \frac{Y(t + 1)}{Y(t)} = \frac{Y(t)}{Y(t)} \left( 1 - \delta + \frac{s}{\theta} \right) \]

- Subtract \( \frac{Y(t)}{Y(t)} \) to get:

\[ \frac{Y(t + 1) - Y(t)}{Y(t)} = \frac{s}{\theta} - \delta \]

- And we get the Harrod-Domar equation \( (g = \frac{Y(t+1)-Y(t)}{Y(t)}) \):

\[ \frac{s}{\theta} = g + \delta \]
Harrod-Domar model and population growth

Figure 2. Population and Per Capita GDP over the Very Long Run

Notes: Population and GDP per capita for “the West,” defined as the sum of the United States and 12 western European countries. Both series are normalized to take the value 1.0 in the initial year, 1 AD.

Harrod-Domar model and population growth

\[ g = \frac{s}{\theta} - \delta \]

- Population growth requires more capital (i.e. requires higher investment to sustain *per capita* growth)
- Population increases at the rate of \( n \):
  \[ P(t + 1) = P(t)(1 + n) \]
- Let per capita income be: \( y(t) = \frac{Y(t)}{P(t)} \)
  \[ \theta y(t + 1) \frac{P(t + 1)}{P(t)} = (1 - \delta)\theta y(t) + sy(t) \]
Harrod-Domar model and population growth

\[ \theta y(t + 1) \frac{P(t + 1)}{P(t)} = (1 - \delta)\theta y(t) + sy(t) \]

▶ Divide the whole equation by \( y(t)\theta \):

\[ \frac{y(t + 1)}{y(t)} \frac{P(t + 1)}{P(t)} = (1 - \delta) + \frac{s}{\theta} \]

▶ Note that \( \frac{y(t+1)}{y(t)} = \frac{y(t+1)-y(t)+y(t)}{y(t)} = 1 + g_{pc} \)

▶ Per capita growth rate: \( g_{pc} = \frac{y(t+1)-y(t)}{y(t)} \)

▶ Recall: \( \frac{P(t+1)}{P(t)} = (1 + n) \)

▶ And we get the **per capita Harrod-Domar equation**:

\[ \frac{s}{\theta} = (1 + g_{pc})(1 + n) - (1 - \delta) \]
Harrod-Domar model and population growth

\[ \frac{s}{\theta} = (1 + g_{pc})(1 + n) - (1 - \delta) \]

► We can disregard the product \( g_{pc}n \), since both are usually very small. Q: When not?
► Then we get the **approximate per capita Harrod-Domar equation**:

\[ g_{pc} \approx \frac{s}{\theta} - (n + \delta) \]
Harrod-Domar model and population growth

\[ g_{pc} \approx \frac{s}{\theta} - (n + \delta) \]
Sachs (2004): Harrod-Domar evidence

### Table 7. Economic Growth Predicted from National Saving, Population Growth, and Capital Consumption, by Developing Region, 1980–2001

Percent

<table>
<thead>
<tr>
<th>Region</th>
<th>Gross national saving as share of gross national income&lt;sup&gt;a&lt;/sup&gt;</th>
<th>Growth in population&lt;sup&gt;a&lt;/sup&gt;</th>
<th>Consumption of fixed capital as share of gross national income&lt;sup&gt;a&lt;/sup&gt;</th>
<th>Annual growth in output per capita Predicted</th>
<th>Actual</th>
</tr>
</thead>
<tbody>
<tr>
<td>Tropical sub-Saharan Africa&lt;sup&gt;b&lt;/sup&gt;</td>
<td>11.1</td>
<td>2.7</td>
<td>9.9</td>
<td>−2.3</td>
<td>−0.4</td>
</tr>
<tr>
<td>South Asia</td>
<td>20.0</td>
<td>2.0</td>
<td>8.7</td>
<td>1.8</td>
<td>3.3</td>
</tr>
<tr>
<td>Latin America</td>
<td>18.7</td>
<td>1.8</td>
<td>9.8</td>
<td>1.2</td>
<td>0.4</td>
</tr>
<tr>
<td>East Asia and Pacific</td>
<td>35.1</td>
<td>1.3</td>
<td>9.6</td>
<td>7.2</td>
<td>6.4</td>
</tr>
<tr>
<td>Middle East and North Africa</td>
<td>23.5</td>
<td>2.4</td>
<td>9.2</td>
<td>2.3</td>
<td>1.0</td>
</tr>
</tbody>
</table>

Source: Authors’ calculations using data from World Bank (2003a).

a. Annual average across countries and years, weighted by population.

b. Countries listed in table 2, except Dem. Rep. of Congo and Liberia, for which relevant data are unavailable.
Figure 6. Growth in Gross National Income by Developing Region, Actual and Predicted, 1980–2001

Economic growth
Harrod-Domar model
Solow model
Convergence
Poverty traps

Source: World Bank (2003a) and authors’ calculations using model described in the text.
Beyond Harrod-Domar model

\[ g_{pc} \approx \frac{s}{\theta} - (n + \delta) \]

- Recipes on how to increase growth?
  1. Increase the (household) savings rate. How?
  2. Reduce the capital output ratio (production efficiency). How?
  3. Reduce the the population growth. How?

- All of the above can be *endogenous* (savings, population growth, capital-output or technology).
Beyond Harrod-Domar model: endogenous savings

- **Poverty trap** of savings: you cannot start saving unless you reach certain threshold (subsistence level)
  - One of reasons for Sachs et al. (2004): MDGs & big push

![Estimated Savings Rate by Wealth](source.png)

- **Note**: correlation vs. causation (savings vs. growth)
Beyond Harrod-Domar model: endogenous population

- Demographic transition

- Why do poor countries have so different distributions?
- Why do poor countries have such high fertility rates?
Economic growth

Harrod-Domar model

Solow model

Convergence

Poverty traps
Solow model

- Constant returns to capital?
  - Recall previous lecture and the Lucas Paradox: Capital and labor work together. Capital should be most productive where there is abundance of (cheap) labor.

- **Note:** capital now transforms to product using a **production function** in combination with labor. Further we relax the assumption of constant returns of capital. E.g., Cobb-Douglas:

\[
Y(t) = A(t)K(t)^\alpha P(t)^{1-\alpha}
\]

- Recall:
  - Technology: \( A = \frac{1}{\theta} \)
  - Macroeconomic balance: \( S(t) = I(t) \)
  - Saving rate: \( s = \frac{S(t)}{Y(t)} \)
  - Capital accumulation: \( K(t+1) = (1 - \delta)K(t) + sY(t) \)
Solow model

\[ K(t + 1) = (1 - \delta)K(t) + sY(t) \]

**Notice:** We still assume exogenous \( s \) and will assume that population growth is constant \( (n) \). Why?

**Rewrite the capital accumulation in per-capita terms again:**

\[ (1 + n)k(t + 1) = (1 - \delta)k(t) + sy(t) \]

**Production per capita using** \( Y(t) = A(t)K(t)^\alpha P(t)^{1-\alpha} \) is then:

\[ y(t) = A(t)k(t)^\alpha \]
Solow model: diminishing returns to capital

\[(1 + n)k(t + 1) = (1 - \delta)k(t) + sA(t)k(t)^\alpha\]

- So: \(f'(k) = \alpha A(t)k^{\alpha-1}\) and \(f''(k) = \alpha(\alpha - 1)A(t)k^{\alpha-2}\)
- Recall: \(k(t) = K(t)/P(t)\)

- output-capital ratio falls with labor shortage (diminishing returns)!
Solow model: dynamics

\[(1 + n)k(t + 1) = (1 - \delta)k(t) + sA(t)k(t)\alpha\]

- **Steady state:** \(k^*\) where \(k(t) = k(t + 1)\)
Solow model: steady state

\[(1 + n)k(t + 1) = (1 - \delta)k(t) + sA(t)k(t)^\alpha\]

▶ **Steady state**: \(k^*\) where \(k(t) = k(t + 1)\)

\[(1 + n - 1 + \delta)k^* = sA(t)(k^*)^\alpha\]

\[(k^*)^{1-\alpha} = \frac{sA(t)}{n + \delta}\]

\[k^* = \left(\frac{sA(t)}{n + \delta}\right)^\frac{1}{1-\alpha}\]
Mankiw, Romer, and Weil (1992): Solow evidence

> Implicit assumptions: countries in steady state

> We’ll calculate this in the seminar, but: estimated values of $\alpha$ as in $Y(t) = A(t)K(t)\alpha P(t)^{1-\alpha}$ too large.

> Inputing the realistic value of $\alpha = 0.3$ yields $R^2$ of 0.29 (intermediate sample)

---

**TABLE I**

**ESTIMATION OF THE TEXTBOOK SOLow MODEL**

Dependent variable: log GDP per working-age person in 1985

<table>
<thead>
<tr>
<th>Sample:</th>
<th>Non-oil</th>
<th>Intermediate</th>
<th>OECD</th>
</tr>
</thead>
<tbody>
<tr>
<td>Observations:</td>
<td>98</td>
<td>75</td>
<td>22</td>
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<tr>
<td>CONSTANT</td>
<td>5.48</td>
<td>5.36</td>
<td>7.97</td>
</tr>
<tr>
<td>(1.59)</td>
<td>(1.55)</td>
<td>(2.48)</td>
<td></td>
</tr>
<tr>
<td>$\ln(\text{I/GDP})$</td>
<td>1.42</td>
<td>1.31</td>
<td>0.50</td>
</tr>
<tr>
<td>(0.14)</td>
<td>(0.17)</td>
<td>(0.43)</td>
<td></td>
</tr>
<tr>
<td>$\ln(\text{n + g + \delta})$</td>
<td>-1.97</td>
<td>-2.01</td>
<td>-0.76</td>
</tr>
<tr>
<td>(0.56)</td>
<td>(0.53)</td>
<td>(0.84)</td>
<td></td>
</tr>
<tr>
<td>$R^2$</td>
<td>0.59</td>
<td>0.59</td>
<td>0.01</td>
</tr>
<tr>
<td>s.e.e.</td>
<td>0.69</td>
<td>0.61</td>
<td>0.38</td>
</tr>
</tbody>
</table>

Restricted regression:

| CONSTANT | 6.87 | 7.10 | 8.62 |
| (0.12) | (0.15) | (0.53) |
| $\ln(\text{I/GDP}) - \ln(\text{n + g + \delta})$ | 1.48 | 1.43 | 0.56 |
| (0.12) | (0.14) | (0.36) |
| $R^2$ | 0.59 | 0.59 | 0.06 |
| s.e.e. | 0.69 | 0.61 | 0.37 |

Test of restriction:

| p-value | 0.38 | 0.26 | 0.79 |
| Implied $\alpha$ | 0.50 | 0.59 | 0.02 |
| (0.02) | (0.02) | (0.15) |

*Note. Standard errors are in parentheses. The investment and population growth rates are averages for the period 1960–1985. $(g + \delta)$ is assumed to be 0.05.*
Solow model: implications

- Savings no long-term effect on growth of per capita income (long-run growth equal to population growth):
  - What about Harrod-Domar model (growth vs. level effects)?
- Higher $n \Rightarrow \downarrow k^*$ and $\uparrow$ total output
- To examine now:
  1. Need to study technological progress ($A$, or $\frac{1}{\theta}$).
  2. Hypothesis of international convergence (every country converges to $k^*$, irrespective of the historical starting point)
  3. Assumption: marginal product of capital highest where capital least available
Solow model: Technical progress

\[ k^* = \left( \frac{sA}{n + \delta} \right)^{\frac{1}{1-\alpha}} \]

- Technology affects the level effects
- Only constant technical progress increases growth persistently
- Two questions:
  1. What is the "technical progress"?
  2. Why and when technical progress arises?
Economic growth

Harrod-Domar model

Solow model

Convergence

Poverty traps
Solow model: Unconditional convergence

- Do data support the conclusions of the Solow model that in the long term all countries should converge to the same $k^*$ and that the richest countries should stop growing (unless persistent differences in technical progress, savings, and population growth)?
  - How to test this empirically?
  - $g = \alpha + \beta \log(y_{t0}) + \varepsilon$
  - What would be the Harrod-Domar model prediction?
Solow model: Unconditional convergence

Figure 1: Annual growth rate of GDP per capita between 1870 and 1979 and log GDP per worker in 1870 (16 countries, Baumol, 1986)

Selection issue: countries that were rich ex-post selected.

Figure 2: Annual growth rate of GDP per capita between 1870 and 1979 and log GDP per worker in 1870 (15 + 7 countries, DeLong, 1988)

Solving selection: equally rich countries ex-ante.
Solow model: Unconditional convergence

Figure 3: Annual growth rate of GDP per capita between 1960 and 2000 and log GDP per worker in 1960 (world)

Source: Acemoglu (2007)
Solow model: Unconditional convergence

- So is Harrod-Domar better than Solow?
  - Hardly, constant returns to capital unrealistic assumption.
- But countries can all have different saving rates, levels of technology, or population growth → conditional convergence to different $k^*$
Solow model: Conditional convergence

Figure 4: Convergence in growth rates

- AB and A’B’ converge to different states due to differences in $s$ and $n$, but given constant technology lines parallel
  - Q: Why constant technology assumed?
- Q: What can we say about growth of initially poorer and richer countries?

Solow model: Conditional convergence

Figure 5: Annual growth rate of GDP per capita between 1960 and 2000 and log GDP per worker in 1960 (OECD)

Source: Acemoglu (2007)
Economic growth

Harrod-Domar model

Solow model

Convergence

Poverty traps
Returns to capital: poverty trap

- Solow model assumptions for convergence:
  1. Savings rate constant for all levels of income: No!
  2. Population growth constant for all levels of income: No!
  3. Highest returns to capital for the poorest – $sf(k)$?

- What if some threshold level of capital is required for production using more efficient technologies. Why?
Capital threshold in Harrod-Domar model

- Recall Harrod-Domar:

\[ g_{pc} \approx \frac{s}{\theta} - (n + \delta) \]

- What if only for certain levels of capital \( k > k_T : \frac{s}{\theta} > (n + \delta) \)
- Only then \( g > 0 \); negative growth for low capital levels — poverty trap
Capital threshold in Harrod-Domar model

![Graph showing capital threshold in Harrod-Domar model](image-url)
McKenzie and Woodruff (2003): Do Entry Costs Provide an Empirical Basis for Poverty Traps?

<table>
<thead>
<tr>
<th>Semiparametric Median Returns by Capital Stock Range</th>
<th>$0–$200</th>
<th>$200–$400</th>
<th>$400–$600</th>
<th>$600–$1,000</th>
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<tbody>
<tr>
<td>Model 2</td>
<td>22.6</td>
<td>6.5</td>
<td>5.4</td>
<td>4.7</td>
</tr>
<tr>
<td>Robustness to low capital stock:</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Dropping bottom 5% of capital</td>
<td>24.1</td>
<td>6.5</td>
<td>5.3</td>
<td>4.8</td>
</tr>
<tr>
<td>Dropping bottom 10% of capital</td>
<td>23.1</td>
<td>6.4</td>
<td>5.3</td>
<td>4.8</td>
</tr>
<tr>
<td>Dropping bottom 25% of capital</td>
<td>14.1</td>
<td>6.4</td>
<td>5.4</td>
<td>4.9</td>
</tr>
<tr>
<td>Robustness to profit measure:</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Profits = revenues – expenses</td>
<td>18.0</td>
<td>8.4</td>
<td>7.2</td>
<td>6.6</td>
</tr>
<tr>
<td>Robustness to accounting system:</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Sample that uses an accounting system</td>
<td>11.7</td>
<td>8.5</td>
<td>6.3</td>
<td>3.9</td>
</tr>
</tbody>
</table>

- Use cross-section of Mexican microenterprises. Why methodologically problematic?
De Mel, McKenzie, and Woodruff (2008): Returns to capital in microenterprises

- Q: Are returns to capital so low for the poorest?
- Experiment with small firms in Sri Lanka (≈ $250 non-housing capital)
- Firms divided in three groups (Why?):
  1. Received nothing, just observed (control group)
  2. Received $100 (treatment group)
  3. Received $200 (cash or in-kind, randomly)
- Profits increased by 6% per month (≈ 60% per year) → high returns to capital. Trap?
- Returns were higher for men relative to women. That is a puzzle, since most of microenterprises in developing countries are run by women.
De Mel, McKenzie, and Woodruff (2008)

\[ Y_{it} = \alpha + \sum_{g=1}^{4} \beta_g \text{Treatment}_{git} + \sum_{t=2}^{9} \delta_t + \lambda_i + \varepsilon_{it} \]

<table>
<thead>
<tr>
<th>Impact of treatment amount on:</th>
<th>Capital stock (1)</th>
<th>Log capital stock (2)</th>
<th>Real profits (3)</th>
<th>Log real profits (4)</th>
<th>Owner hours worked (5)</th>
</tr>
</thead>
<tbody>
<tr>
<td>10,000 LKR in-kind</td>
<td>4,793* (2,714)</td>
<td>0.40*** (0.077)</td>
<td>186 (387)</td>
<td>0.10 (0.089)</td>
<td>6.06** (2.86)</td>
</tr>
<tr>
<td>20,000 LKR in-kind</td>
<td>13,167*** (3,773)</td>
<td>0.71*** (0.169)</td>
<td>1,022* (592)</td>
<td>0.21* (0.115)</td>
<td>–0.57 (3.41)</td>
</tr>
<tr>
<td>10,000 LKR cash</td>
<td>10,781** (5,139)</td>
<td>0.23** (0.103)</td>
<td>1,421*** (493)</td>
<td>0.15* (0.080)</td>
<td>4.52* (2.54)</td>
</tr>
<tr>
<td>20,000 LKR cash</td>
<td>23,431*** (6,686)</td>
<td>0.53*** (0.111)</td>
<td>775* (643)</td>
<td>0.21* (0.109)</td>
<td>2.37 (3.26)</td>
</tr>
</tbody>
</table>

Number of enterprises: 385, 385, 385, 385, 385
Number of observations: 3,155, 3,155, 3,248, 3,248, 3,378